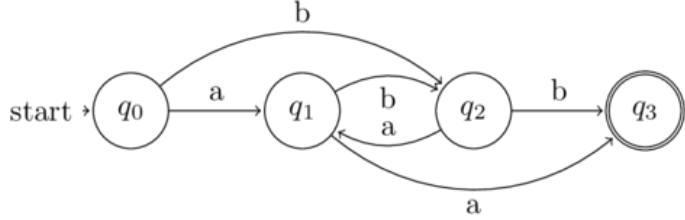




|   |    |  |      |      |    |
|---|----|--|------|------|----|
|   | c) | Construct NFA to accept<br>i. Strings containing 1100 or 1010 as a substring.<br>ii. $L = \{w   w \in abab^n \text{ or } aba^n \text{ where } n \geq 0\}$  | CO1  | PO1  | 04 |
|   |    | <b>UNIT - II</b>   |      |      |    |
| 3 | a) | Convert the DFA to regular expression using state elimination method.<br>  | CO1  | PO1  | 8  |
|   | b) | Write regular expression to accept<br>i) String of a's and b's of length $\leq 10$ .<br>ii) String of a's and b's whose length is either even or multiple of 3 or both.<br>iii) $L = \{a^{2n}b^{2m}   n \geq 0, m \geq 0\}$  | CO 2 | PO 1 | 6  |
|   | c) | State pumping lemma theorem for regular languages and prove that $L = \{x   x \text{ contains an equal number of 0s and 1s}\}$ is not regular.   | CO 2 | PO 1 | 6  |
|   |    | <b>UNIT - III</b>  |      |      |    |
| 4 | a) | Show that the grammar is ambiguous for the string = "001101"<br>$S \rightarrow 0B \mid 1A$<br>$A \rightarrow 0S \mid 1AA \mid 0$<br>$B \rightarrow 1S \mid 0BB \mid 1$   | CO 2 | PO 2 | 6  |
|   | b) | Simplify<br>$S \rightarrow ABCa \mid bD$<br>$A \rightarrow BC \mid b$<br>$B \rightarrow b \mid \epsilon$<br>$C \rightarrow c \mid \epsilon$<br>$D \rightarrow d$   | CO 2 | PO 3 | 6  |
|   | c) | Convert the given Context Free Grammar (CFG) to Chomsky Normal Form (CNF).<br>$S \rightarrow aAa \mid bBb \mid \epsilon$<br>$A \rightarrow C \mid a$<br>$B \rightarrow C \mid b$<br>$C \rightarrow CDE \mid \epsilon$<br>$D \rightarrow A \mid B \mid ab$              | CO 3 | PO1  | 8  |
|   |    | <b>OR</b>  |      |      |    |
| 5 | a) | Write Context Free Grammar (CFG) for the languages:<br>i. $L = \{w \mid n_a(w) = n_b(w)\}$<br>ii. $L = \{ww^r \text{ where } w \in (a,b)^*\}$<br>iii. String consisting of any number of a's and b's with atleast one a.<br>iv. $L = \{a^n b^m \mid n \geq 0, m > n\}$ | CO3  | PO1  | 8  |
|   | b) | Provide the formal description of CFG. Outline the steps to prove a language is not context free.  | CO2  | PO1  | 7  |

|   |    |   |     |     |    |
|---|----|---|-----|-----|----|
|   | c) | Identify the language represented by<br>i) $S \rightarrow 0S1 \mid A \mid B$<br>$A \rightarrow 0A \mid 0$<br>$B \rightarrow 1B \mid 1$<br><br>ii) $S \rightarrow aSa \mid bSb \mid A$<br>$A \rightarrow aBb \mid bBa$<br>$B \rightarrow aB \mid bB \mid \epsilon$ | C03 | P02 | 5  |
|   |    | <b>UNIT - IV</b>  |     |     |    |
| 6 | a) | Construct a PDA for the language $L = \{wCw^r \mid w \in (a+b)^*\}$ . Verify whether the given string aabCbaa is accepted or not.   | C03 | P02 | 10 |
|   | b) | Convert the given CFG to PDA.<br>$S \rightarrow aABB \mid aAA$<br>$A \rightarrow aBB \mid a$<br>$B \rightarrow bBB \mid A$<br>$C \rightarrow a$   | C03 | P03 | 10 |
|   |    | <b>UNIT - V</b>   |     |     |    |
| 7 | a) | Design a Turing Machine (TM) to accept the language $L = \{0^n 1^n, n \geq 1\}$ . Are the strings 000111 and 001111 is accepted by the TM? Justify.   | C03 | P01 | 10 |
|   | b) | Elaborate on<br>i. Universal Turing Machines      ii. Undecidable problems  | C03 | P01 | 5  |
|   | c) | State Post Correspondence Problem (PCP). Determine whether the lists $M = (abb, aa, aaa)$ and $N = (bba, aaa, aa)$ has a Post Correspondence Solution or not.   | C03 | P03 | 5  |

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