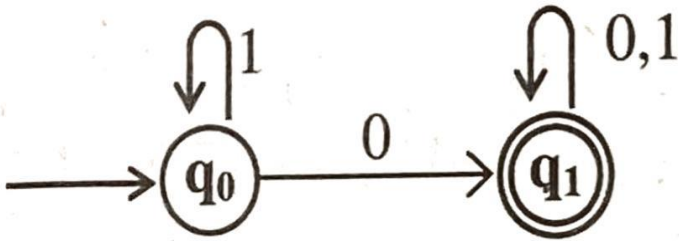


3	a)	<p>Solve to obtain a Regular Expression from the given Finite State Machine using Kleene's theorem.</p> 	CO1	PO1	10
	b)	<p>Obtain Regular Expressions for the following languages:</p> <p>i. $L = \{a^n b^m \mid m \geq 1, n \geq 1, nm \geq 3\}$</p> <p>ii. $L = \{vuv \mid u, v \in \{a, b\}^* \text{ and } v =2\}$</p> <p>iii. $L = \{w : n_a(w) \bmod 3 = 0 \text{ where } w \in (a,b)^*\}$</p>	CO2	PO2	10
		UNIT - III			
4	a)	<p>Solve to obtain grammar to generate the language</p> <p>$L = \{a^n b^m \mid n \geq 0, m > n\}$</p>	CO3	PO3	5
	b)	<p>Is the following grammar ambiguous?</p> <p>$S \rightarrow aB \mid bA$ $A \rightarrow aS \mid bAA \mid a$ $B \rightarrow bS \mid aBB \mid b$</p> <p>Consider the string "aaabbabbba"</p>	CO2	PO2	7
	c)	<p>Convert Context-Free Grammar to Chomsky Normal Form</p> <p>$S \rightarrow 0A \mid 1B$ $A \rightarrow 0AA \mid 1S \mid 1$ $B \rightarrow 1BB \mid 0S \mid 0$</p>	CO1	PO1	8
		OR			
5	a)	<p>Obtain a grammar to generate the language</p> <p>$L = \{0^m 1^m 2^n \mid m \geq 1, n \geq 0\}$</p>	CO3	PO3	5
	b)	<p>In programming constructs, an identifier can be a variable name or a function name etc. An identifier is defined as that which starts with a letter and that letter can be followed by any combinations of letters or digits.</p> <p>Design a Context Free Grammar to accept an identifier.</p>	CO2	PO2	5

		c)	Convert Context Free Grammar to Greibach Normal Form. $S \rightarrow ASA aB$ $A \rightarrow B S a$ $B \rightarrow b \epsilon$	CO1	PO1	10
			UNIT - IV			
6	a)	i. Design a PDA for $L=\{a^n, b^{2n} n \geq 1\}$ ii. Write the instantaneous description for the string “aabbab” iii. Is the PDA of (i) deterministic?	CO3	PO3	10	
	b)	For the given grammar obtain PDA <ul style="list-style-type: none"> $S \rightarrow aABB aAA$ $A \rightarrow aBB a$ $B \rightarrow bBB aBB a$ $C \rightarrow a$ 	CO2	PO2	10	
			UNIT - V			
7	a)	Obtain a TM to accept a string w of a's and b's such that $N_a(w)$ is equal to $N_b(w)$.	CO3	PO3	12	
	b)	Demonstrate how multi-tape and single-tape multi-track Turing Machines are identical.	CO2	PO2	4	
		c)	Determine whether a Post Correspondence Solution exists for the following data. $A_1=1, A_2=10111, A_3=10$ $B_1=111, B_2=10, B_3=0$	CO1	PO1	4
