

U.S.N.

B.M.S. College of Engineering, Bengaluru-560019

Autonomous Institute Affiliated to VTU

July 2024 Semester End Main Examinations

Programme: B.E.

Branch: Electrical and Electronics Engineering

Course Code: 22EE5PCMCT

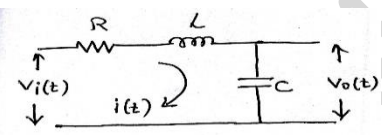
Course: Modern Control Theory

Semester: V

Duration: 3 hrs.

Max Marks: 100

Instructions: 1. Answer any FIVE full questions, choosing one full question from each unit.
2. Missing data, if any, may be suitably assumed.

Important Note: Completing your answers, compulsorily draw diagonal cross lines on the remaining blank pages. Revealing of identification, appeal to evaluator will be treated as malpractice.			UNIT - I	CO	PO	Marks
	1	a)	Define the concept of i) State ii) State variables iii) State vector with an example.	CO1	-	06
		b)	Determine the state model of the given electrical system 	CO2	PO1	07
		c)	Derive the state model in canonical form of a system whose transfer function is $T(s) = \frac{8s^2 + 17s + 8}{(s+1)(s^2 + 8s + 15)}$	CO2	PO1	07
			UNIT - II			
	2	a)	Define Homogeneous state equation and Non-homogeneous state equation.	CO1	-	04
		b)	Determine the State transition matrix using Cayley – Hamilton method. $A = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -6 & -11 & -6 \end{bmatrix}$	CO2	PO1	06
		c)	Consider a state model with matrix $A = \begin{bmatrix} 0 & 2 & 0 \\ 4 & 0 & 1 \\ -48 & -34 & -9 \end{bmatrix}$ Determine a) Characteristic equation b) Eigen Values and c) Modal matrix. Also prove that the transformation $M^{-1}AM$ results in a diagonal matrix.	CO2	PO1	10
			OR			
	3	a)	State the various properties of state transition matrix.	CO1	-	05

	b)	Reduce the given state model into its canonical form by diagonalizing matrix A: $\dot{X}(t) = \begin{bmatrix} 0 & 1 & -1 \\ -6 & -11 & 6 \\ -6 & -11 & 5 \end{bmatrix} X(t) + \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix} U(t) \text{ and } Y(t) = [1 \ 0 \ 0] X(t).$	CO2	PO1	08
	c)	Derive the transfer function from state model.	CO2	PO1	07
		UNIT - III			
4	a)	Use controllability and observability matrices to determine whether the system given below is completely controllable and completely observable. $A = \begin{bmatrix} 0 & 0 & 0 \\ 1 & 0 & -3 \\ 0 & 1 & -4 \end{bmatrix}, B = \begin{bmatrix} 40 \\ 10 \\ 0 \end{bmatrix}, C = [0 \ 0 \ 1]$	CO3	PO2	10
	b)	Define controllability and observability. Explain how to determine the same using any one method. Discuss the duality of controllability and observability.	CO3	PO2	10
		UNIT - IV			
5	a)	Consider the system defined by $\dot{X}=AX+BU$ where $A = \begin{bmatrix} 1 & 2 & 0 \\ 3 & -1 & 1 \\ 0 & 2 & 0 \end{bmatrix}, B = \begin{bmatrix} 2 \\ 1 \\ 1 \end{bmatrix}, C = [0 \ 0 \ 1]$ Design an observer such that the eigen values are placed at $S = -3 \pm j1, s = -4$. Determine the state observer gain matrix using Ackerman's formula	CO4	PO3	10
	b)	Consider the system defined by $\dot{X}=AX+BU$ where $A = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -1 & -5 & -6 \end{bmatrix}, B = \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix}$ by using the state feedback control $u = -kx$, it is desired to have the closed loop poles at $s = -2 \pm j4, s = -10$. Determine the state feedback gain matrix K using transformation matrix.	CO4	PO3	10
		UNIT - V			
6	a)	Draw the input-output characteristics of the following nonlinearities and explain: i) Dead zone ii) On-off with dead zone iii) Saturation iv) On-off with hysteresis.	CO1	-	08
	b)	Classify singular points based on the location of eigen values of the system.	CO2	PO1	08
	c)	What are the characteristics of nonlinear system?	CO1	-	04
		OR			
7	a)	What is intentional nonlinearity? Why is it used? Give one example. Compare intentional nonlinearity with inherent nonlinearity.	CO1	-	06

	b)	With reference to a nonlinear system explain: i) Jump response ii) Limit cycles.	CO1	-	06
	c)	For a nonlinear system given by: $\ddot{y} + 0.5\dot{y} + 2y + y^2 = 0$, find the singularities and classify the singular points.	CO2	PO1	08

REAPPEAR EXAMS 2023-24