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# B.M.S. College of Engineering, Bengaluru-560019

Autonomous Institute Affiliated to VTU

## January / February 2025 Semester End Main Examinations

**Programme: B.E.**

**Branch: Electronics and Communication Engineering**

**Course Code: 22EC5PCDCT**

**Course: Digital Communication Theory**

**Semester: V**

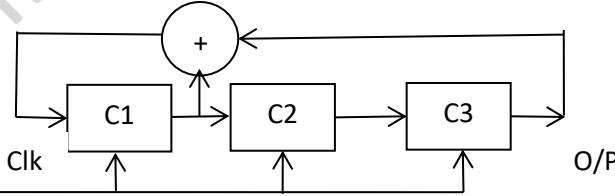
**Duration: 3 hrs.**

**Max Marks: 100**

**Instructions:** 1. Answer any FIVE full questions, choosing one full question from each unit.  
 2. Missing data, if any, may be suitably assumed.  
 3. Use of error function table allowed.

| <b>UNIT - I</b>  |    |   | <b>CO</b> | <b>PO</b> | <b>Marks</b> |
|------------------|----|---|-----------|-----------|--------------|
| 1                | a) | Derive an expression for the signal to quantization noise power ratio for a PCM System. Assume a midrise type of quantizer.   | CO1       | PO1       | <b>08</b>    |
|                  | b) | A PCM system uses a uniform quantizer followed by a 7 bit binary encoder .The bit rate of the system 56 Mega bits/sec.<br>i)Determine the Message bandwidth for which system operates satisfactorily<br>ii)Determine the output signal to quantization noise ratio when a sinusoidal wave of 2M Hz frequency is applied to the input. | CO2       | PO2       | <b>06</b>    |
|                  | c) | With a neat sketch explain Companding in PCM .Also explain A-law and $\mu$ -law Commanding.   | CO1       | PO1       | <b>06</b>    |
| <b>OR</b>        |    |   |           |           |              |
| 2                | a) | An Audio signal of bandwidth 20 kHz is to be transmitted using a PCM system. Design a suitable PCM system. Indicate the specifications of each block of the system. Assume a channel used having a bandwidth of 60kHz   | CO3       | PO3       | <b>06</b>    |
|                  | b) | Analyze the problem in Transmission over baseband channel and ideal solution to overcome this. Indicate the limitations of ideal solution and illustrate how Raised Cosine spectrum would resolve this problem  | CO2       | PO2       | <b>08</b>    |
|                  | c) | Explain the T1 multiplexing system with block diagrams  | CO1       | PO1       | <b>06</b>    |
| <b>UNIT - II</b> |    |   |           |           |              |
| 3                | a) | A binary sequence 101110 is applied to a DPSK transmitter.Construct the resulting DPSK signal .Sketch the resulting waveform at the DPSK transmitter output and explain modulator and demodulator with a neat block diagram.  | CO2       | PO2       | <b>10</b>    |
|                  | b) | Derive an expression for the probability of bit error of a binary PSK receiver  | CO1       | PO1       | <b>05</b>    |

**Important Note:** Completing your answers, compulsorily draw diagonal cross lines on the remaining blank pages. Revealing of identification, appeal to evaluator will be treated as malpractice.

|   |    |   |     |     |           |
|---|----|---|-----|-----|-----------|
|   | c) | Briefly explain the QPSK modulation Scheme with a suitable constellation diagram.   | CO1 | PO1 | <b>05</b> |
|   |    | <b>OR</b>   |     |     |           |
| 4 | a) | Explain the working of the Correlator type receiver   | CO1 | PO1 | <b>06</b> |
|   | b) | With a block diagram explain FSK transmitter and Receiver. Obtain its signal constellation diagram .  | CO1 | PO1 | <b>08</b> |
|   | c) | A coherent Binary FSK system transmits data at a rate of 2 Mbps over an AWGN channel. The noise is zero mean with Power spectral density is $(N_0/2) = 10^{-20}$ watts/Hz . In the absence of noise, the amplitude of the received signal is 1 $\mu$ Volt. Determine the average probability of error | CO2 | PO2 | <b>06</b> |
|   |    | <b>UNIT - III</b>   |     |     |           |
| 5 | a) | With a neat diagram explain the generation of PN sequence and state its properties,   | CO1 | PO1 | <b>08</b> |
|   | b) | A spread spectrum communication system has the chip duration $T_c = 1 \mu\text{sec}$ and the information bit duration $T_b = 4.095\text{msec}$ . Find the processing gain and jamming margin of the system. Assume $(E_b/N_0)$ ratio is 10.   | CO1 | PO1 | <b>05</b> |
|   | c) | With the structure of FHSS /MFSK Transmitter and Receiver , Illustrate fast hopping FHSS for following data $bk=\{011000110011\}$ modulated by 4FSK tones $f_0,f_1,f_2,f_3 = 00,01,10,11$ respectively. PN sequence = 111001100100110101 Number of hops /symbol=2, Length of PN segment /hop=3.       | CO2 | PO2 | <b>07</b> |
|   |    | <b>OR</b>   |     |     |           |
| 6 | a) | Describe the operation of a Direct Sequence Spread Spectrum (DSSS) transmitter and receiver, including detailed block diagrams, relevant equations, and representative waveforms to support your explanation.   | CO1 | PO1 | <b>10</b> |
|   | b) | Obtain the PN sequence from the generator shown assume the initial state to be 100  | CO3 | PO3 | <b>10</b> |
|   |    |   |     |     |           |
|   |    | <b>UNIT - IV</b>  |     |     |           |
| 7 | a) | Derive an expression for the capacity of a binary symmetric channel.  | CO1 | PO1 | <b>05</b> |
|   | b) | Consider the following source $S=(A,B,C,D,E,F)$ , $P=(0.4,0.2,0.2,0.1,0.08,0.02)$ . Find the code words using Shannon Fano algorithm. Find the source efficiency, redundancy and comment.   | CO1 | PO1 | <b>07</b> |

|         |        | c)     | <p>An information source produces a sequence of independent symbols having the following probabilities.<br/> <math>[A B C D E F G]</math><br/> <math>[1/3, 1/27, 1/3, 1/9, 1/9, 1/27, 1/27]</math><br/> Analyze its property and Find the codeword using Huffman encoding procedure and find its efficiency.</p>   | CO2     | PO2    | <b>08</b> |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
|---------|--------|--------|--|---------|--------|-----------|--------|---|---|---|----|---|----|----|----|---|-----|-----|----|---|------|-----|-----|---|------|------|------|-----|-----|-----------|
|         |        |        | <b>OR</b>  |         |        |           |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
| 8       | a)     |        | <p>Check the following codes given in Table are instantaneous or not with the help of Kraft McMillan Inequality</p> <table border="1" style="margin-left: auto; margin-right: auto;"> <thead> <tr> <th>Symbols</th> <th>Code A</th> <th>Code B</th> <th>Code C</th> </tr> </thead> <tbody> <tr> <td>A</td> <td>0</td> <td>0</td> <td>00</td> </tr> <tr> <td>B</td> <td>10</td> <td>11</td> <td>01</td> </tr> <tr> <td>C</td> <td>110</td> <td>100</td> <td>10</td> </tr> <tr> <td>D</td> <td>1110</td> <td>110</td> <td>111</td> </tr> <tr> <td>E</td> <td>1111</td> <td>1011</td> <td>0110</td> </tr> </tbody> </table> | Symbols | Code A | Code B    | Code C | A | 0 | 0 | 00 | B | 10 | 11 | 01 | C | 110 | 100 | 10 | D | 1110 | 110 | 111 | E | 1111 | 1011 | 0110 | CO2 | PO2 | <b>06</b> |
| Symbols | Code A | Code B | Code C   |         |        |           |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
| A       | 0      | 0      | 00   |         |        |           |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
| B       | 10     | 11     | 01   |         |        |           |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
| C       | 110    | 100    | 10   |         |        |           |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
| D       | 1110   | 110    | 111  |         |        |           |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
| E       | 1111   | 1011   | 0110   |         |        |           |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
|         | b)     |        | <p>A transmitter has an alphabet consisting of 5 letters <math>\{a_1, a_2, a_3, a_4, a_5\}</math> and the receiver has an alphabet of four letters <math>\{b_1, b_2, b_3, b_4\}</math>. The joint probabilities of the system are given below.</p> $P(A, B) = \begin{bmatrix} b_1 & b_2 & b_3 & b_4 \\ a_1 & 0.25 & 0 & 0 \\ a_2 & 0.10 & 0.30 & 0 \\ a_3 & 0 & 0.05 & 0.10 \\ a_4 & 0 & 0 & 0.05 \\ a_5 & 0 & 0 & 0.05 \end{bmatrix}$ <p>Compute the different entropies of this channel</p>  | CO2     | PO2    | <b>10</b> |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
|         | c)     |        | <p>List the various properties of entropy</p>  | CO1     | PO1    | <b>04</b> |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
|         |        |        | <b>UNIT - V</b>  |         |        |           |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
| 9       | a)     |        | <p>Given the generator Matrix for a Linear Block Code.</p> $[G] = \begin{bmatrix} 1 & 1 & 1 & 1 & 0 & 0 & 0 \\ 1 & 0 & 1 & 0 & 1 & 0 & 0 \\ 0 & 1 & 1 & 0 & 0 & 1 & 0 \\ 1 & 1 & 0 & 0 & 0 & 0 & 1 \end{bmatrix}$ <p>i) Find n and k value . ii) Write G in its systematic form,<br/> iii) Find all the code word.<br/> Iv) Find the error detecting and correcting capability of the code<br/> v) Design the encoder circuit.</p>   | CO3     | PO3    | <b>10</b> |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
|         | b)     |        | <p>Design the (3,1,2) convolution code with <math>g(1)=(110)</math>, <math>g(2)=(101)</math>, <math>g(3)=(111)</math>. Find the constraint length and rate. Draw the encoder block diagram. Find the generator matrix. Find the codeword for the message (11101) using time domain and transfer domain approach</p>  | CO3     | PO3    | <b>10</b> |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |
|         |        |        | <b>OR</b>  |         |        |           |        |   |   |   |    |   |    |    |    |   |     |     |    |   |      |     |     |   |      |      |      |     |     |           |

|  |    |    |  |            |            |           |
|--|----|----|--|------------|------------|-----------|
|  | 10 | a) | <p>For the systematic (6,3) linear block code the parity matrix P is given by <math>[P]=</math></p> $\begin{bmatrix} 1 & 0 & 1 \\ 0 & 1 & 1 \\ 1 & 1 & 0 \end{bmatrix}$ <p>Find all possible code vectors. Construct the corresponding encoding circuit. If the received code vector is <math>R=[110010]</math>. Detect and correct the single error that has occurred due to noise. Draw the syndrome calculation Circuit</p> | <i>CO3</i> | <i>PO3</i> | <b>14</b> |
|  |    | b) | <p>Discuss the need for Channel coding in a digital communication system. Mention the chief objectives of Channel code</p>   | <i>CO1</i> | <i>PO1</i> | <b>06</b> |

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